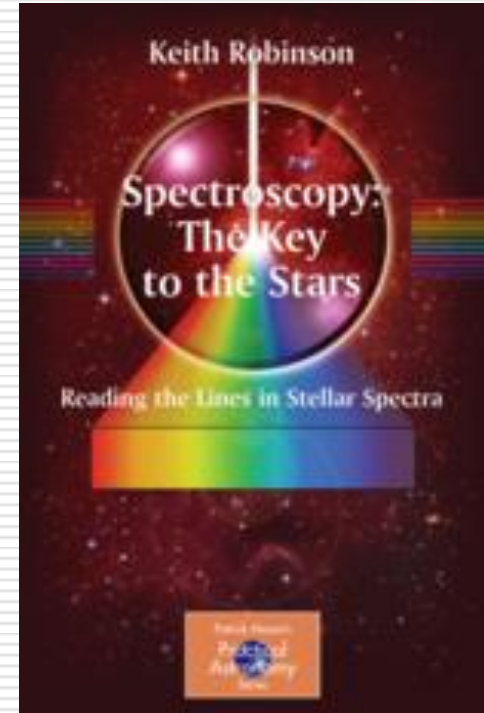
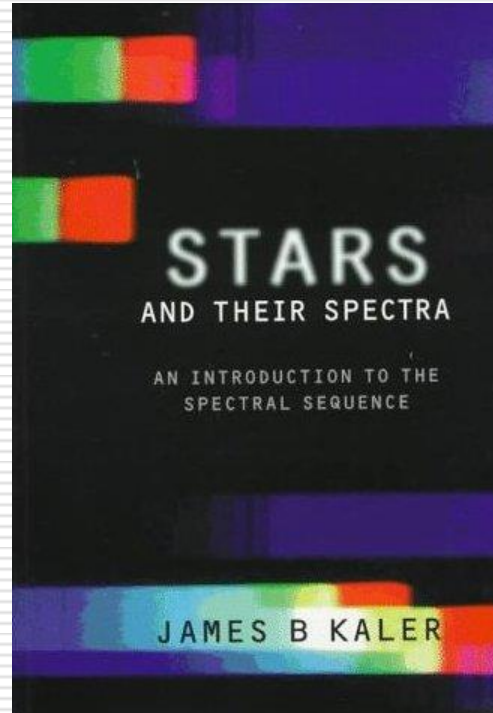
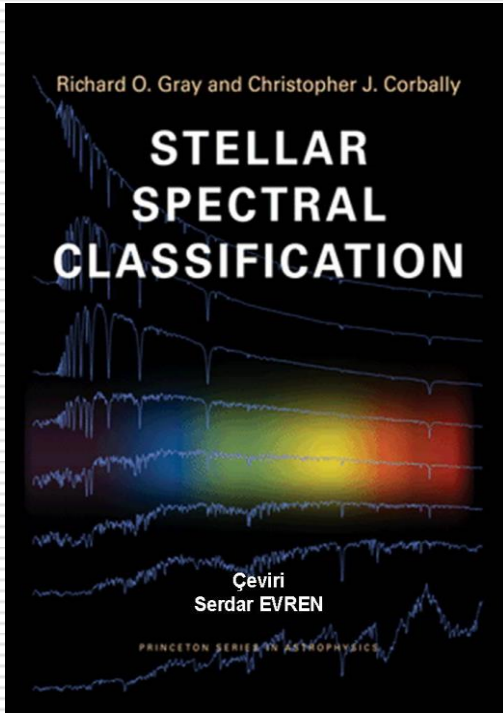


# Yıldızlarda Enerji Tayfı

Serdar EVREN  
2017

# Kaynaklar



# İçerik

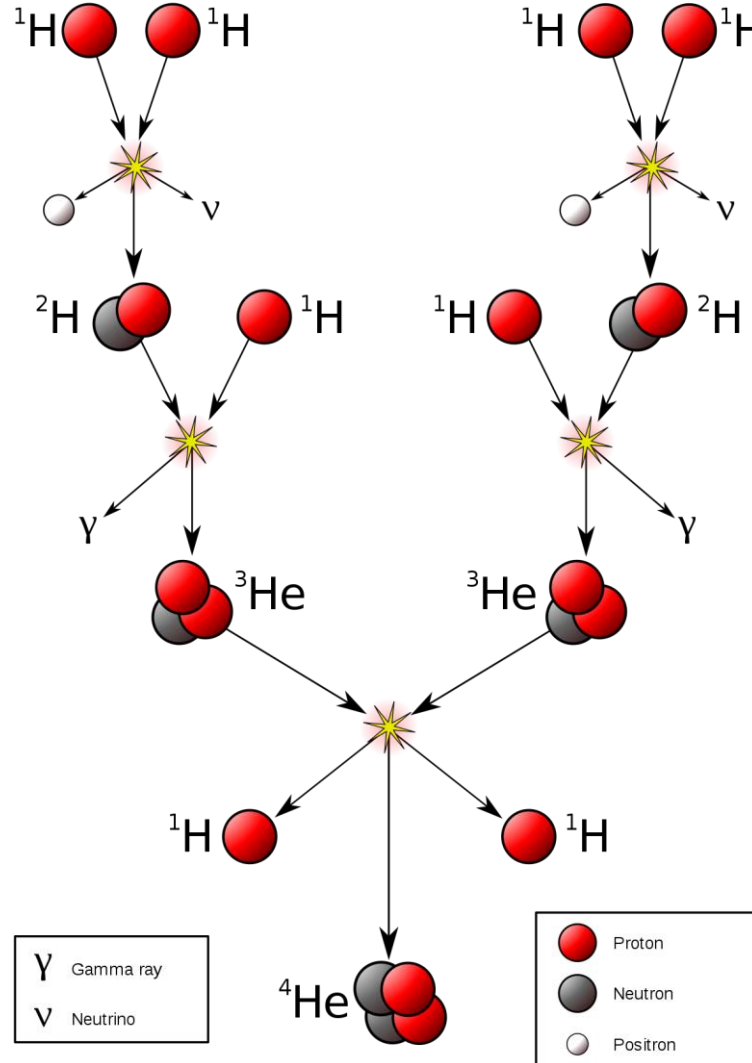
- Yıldızlar (Genel Bilgi)
- Atomlar ve tayflar
- Tayfsal sınıflama
- M Yıldızları
- K Yıldızları
- G Yıldızları
- F Yıldızları
- A Yıldızları
- B Yıldızları
- O Yıldızları

# 1. Yıldızlar (Genel Bilgi)

Nükleer tepkimelerle maddeyi enerjiye çevirirler

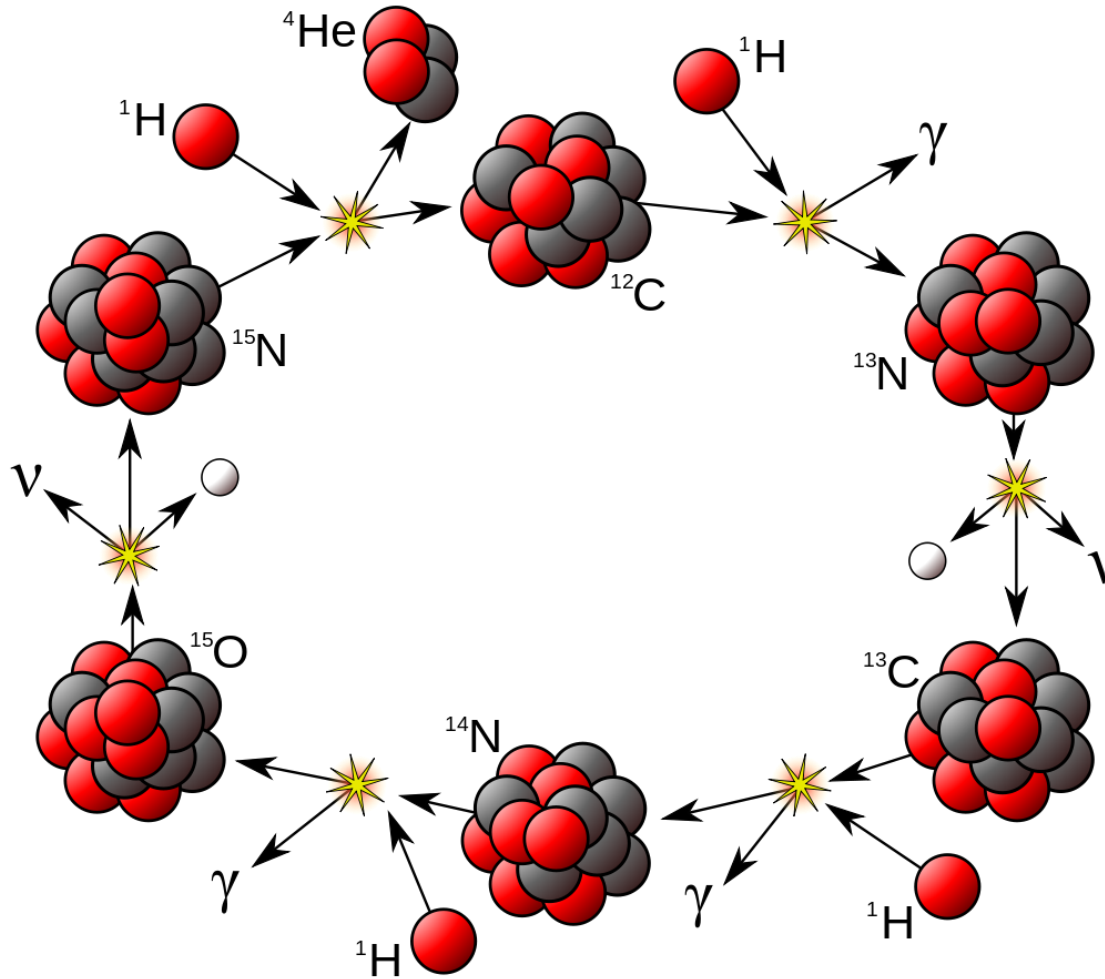
Güneş benzeri yıldızlarda




p-p çevrimi



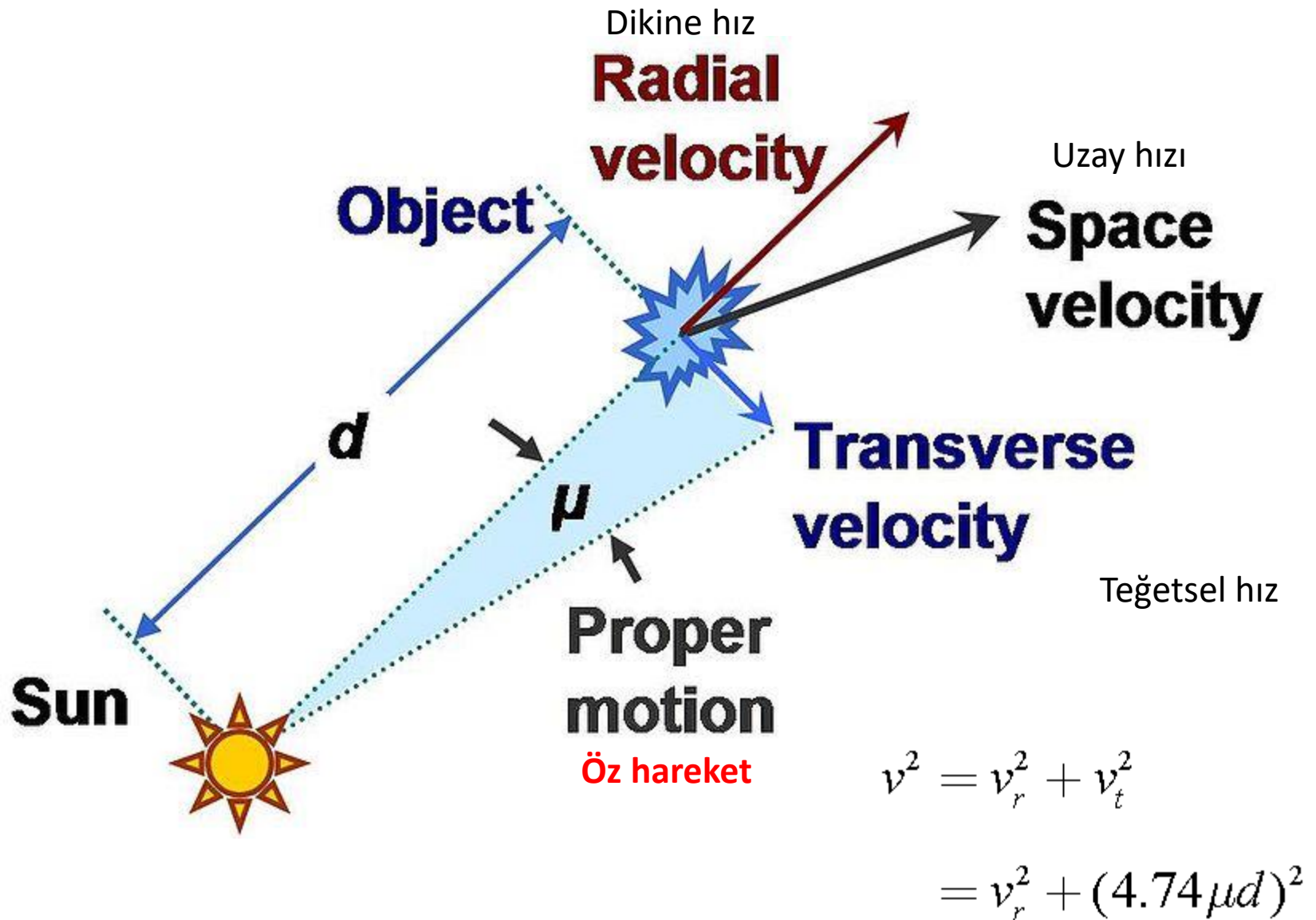
Büyük kütleli yıldızlarda

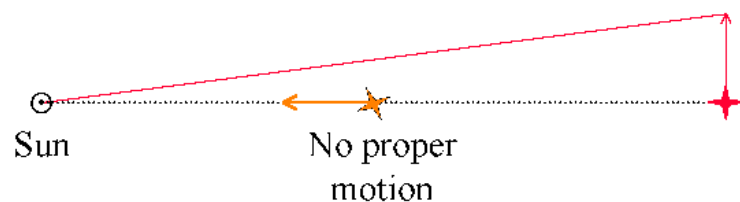
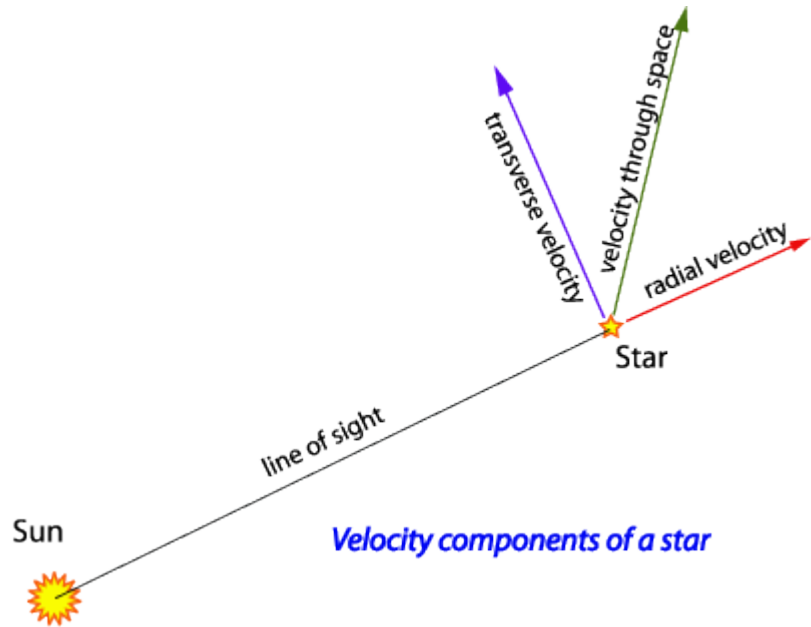
CNO çevrimi



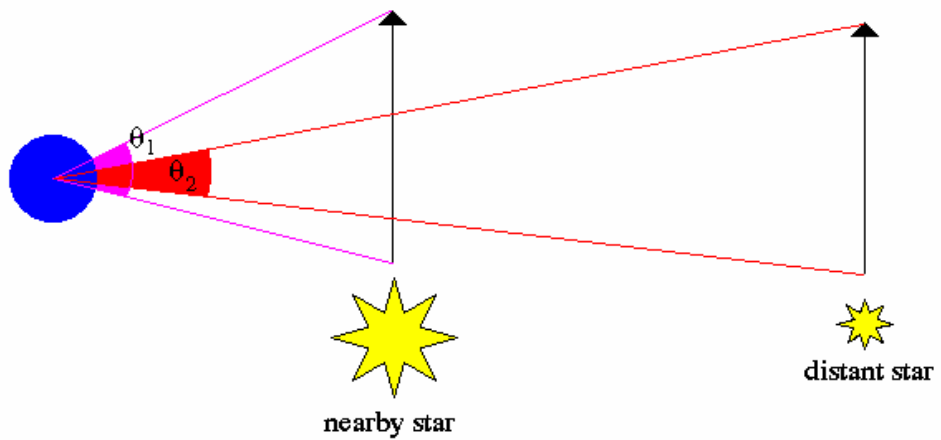
	Proton	$\gamma$	Gamma Ray
	Neutron	$\nu$	Neutrino
	Positron		

# Hareket

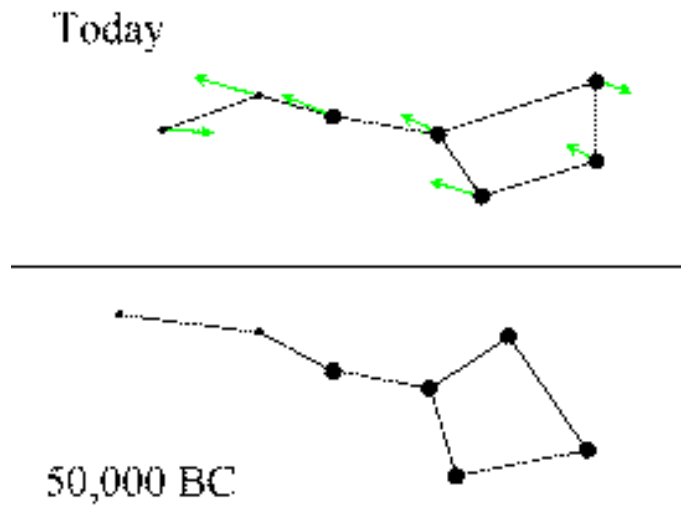


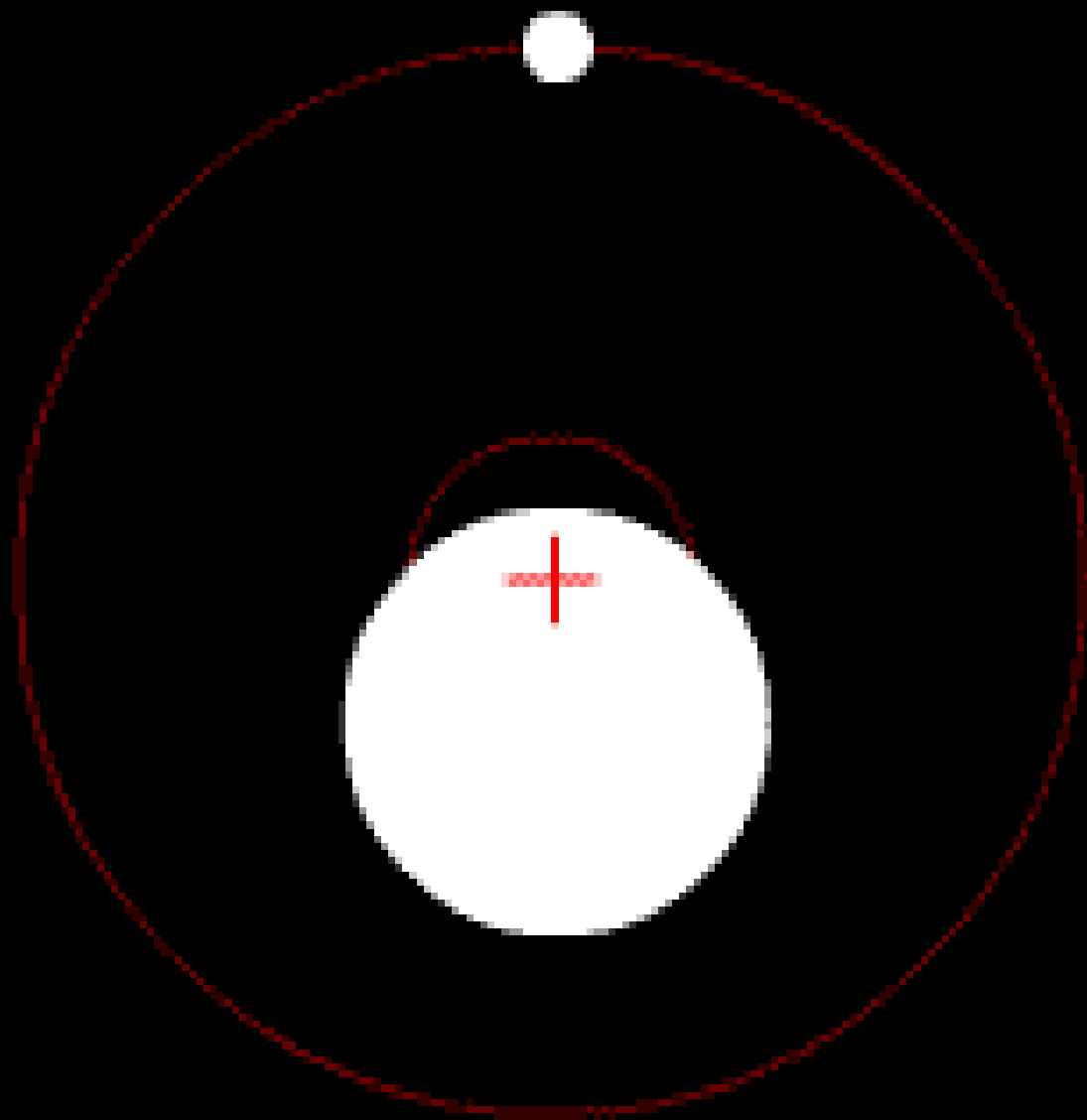


Proper Motion



even though both stars are moving at the same velocity, the nearby star marks out a larger angle,  $\theta_1$  than the distant star's angle,  $\theta_2$





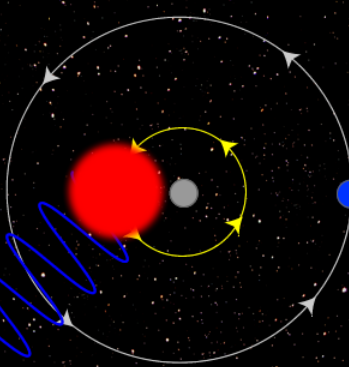
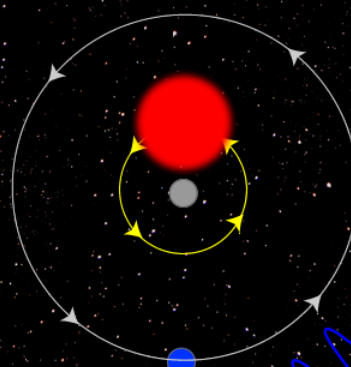
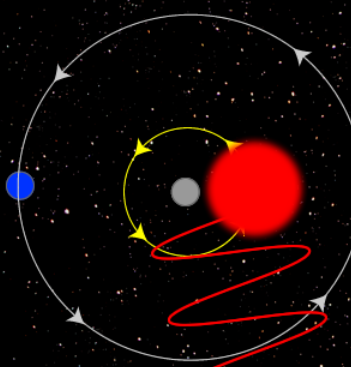
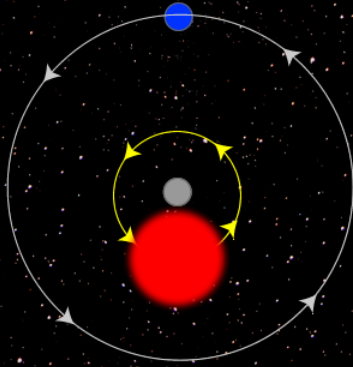


# Radial Velocity Method

The star and planet orbit their common center of mass.

Spectral lines move towards the red as the star travels away from us.

Spectral lines move towards the blue as the star travels towards us.



As the star moves away from us, light waves leaving the star are "stretched" and move towards the red end of the spectrum.

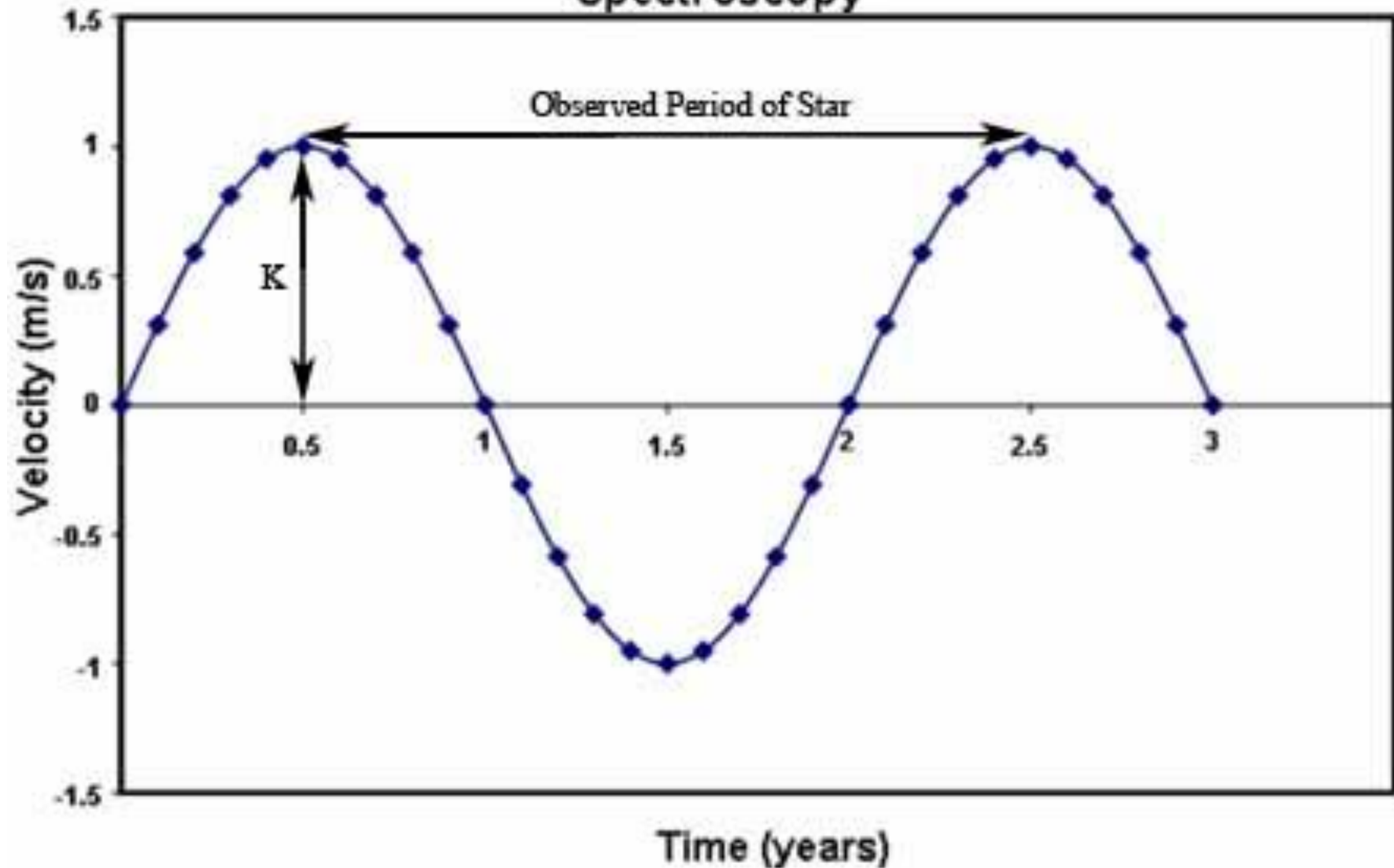
As the star moves towards us, light waves leaving the star are "compressed" and move towards the blue end of the spectrum.

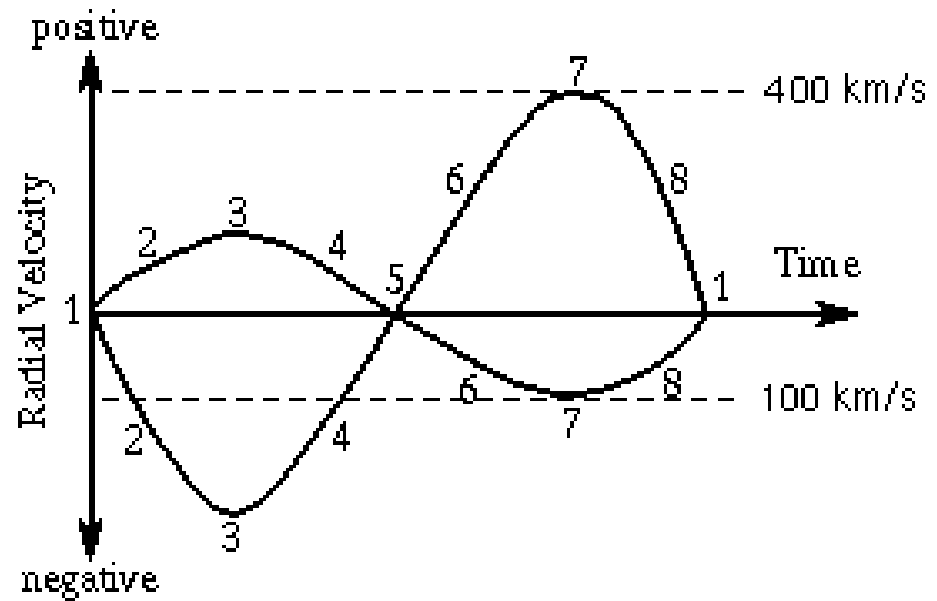
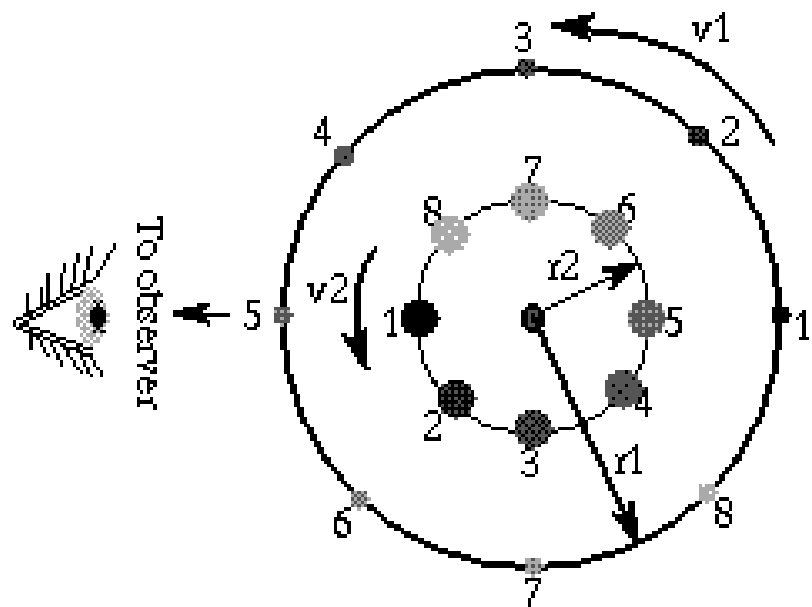
- Planet
- Center of Mass
- Star



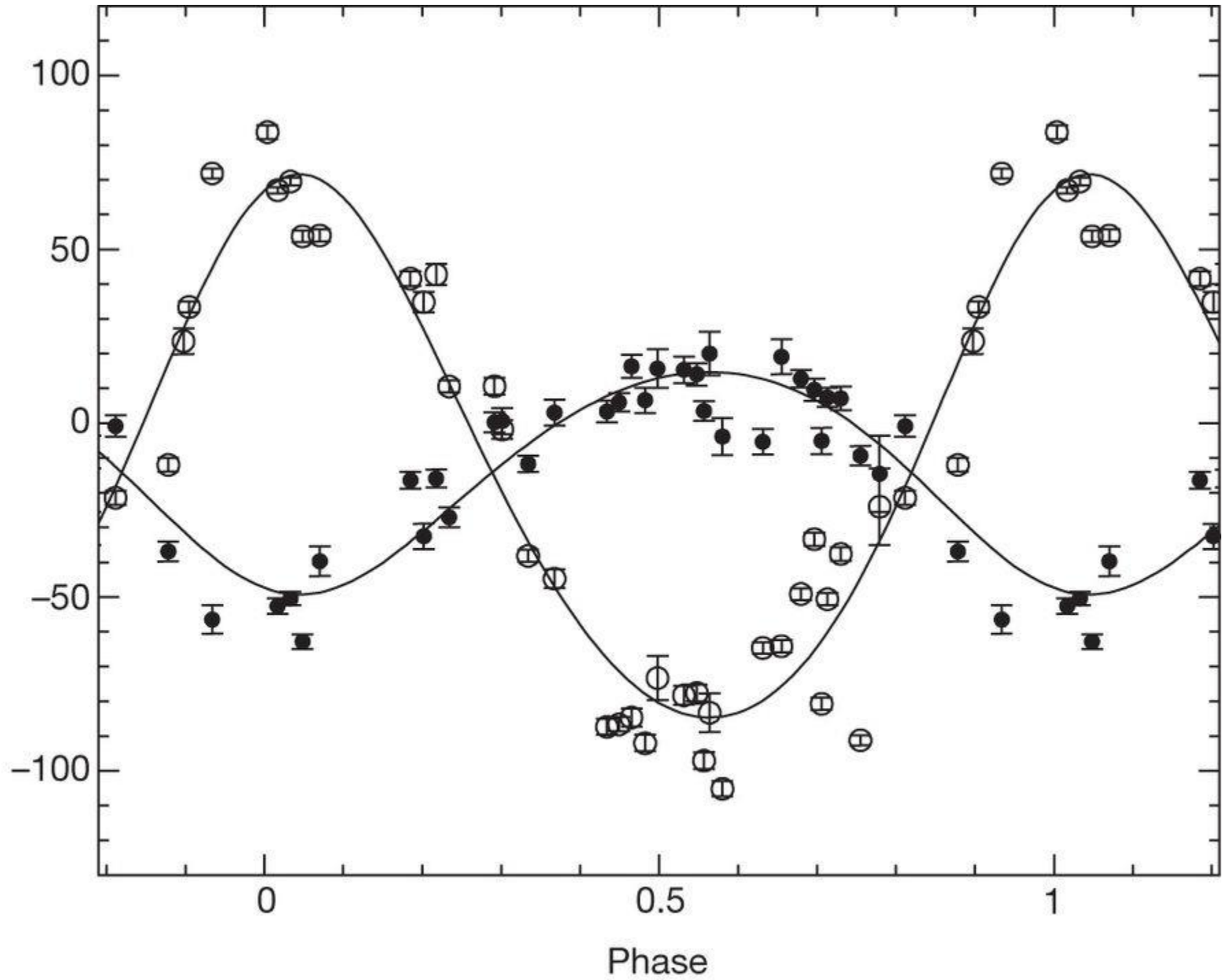
*Not to scale*

## Radial Velocity Measurements using Doppler Spectroscopy

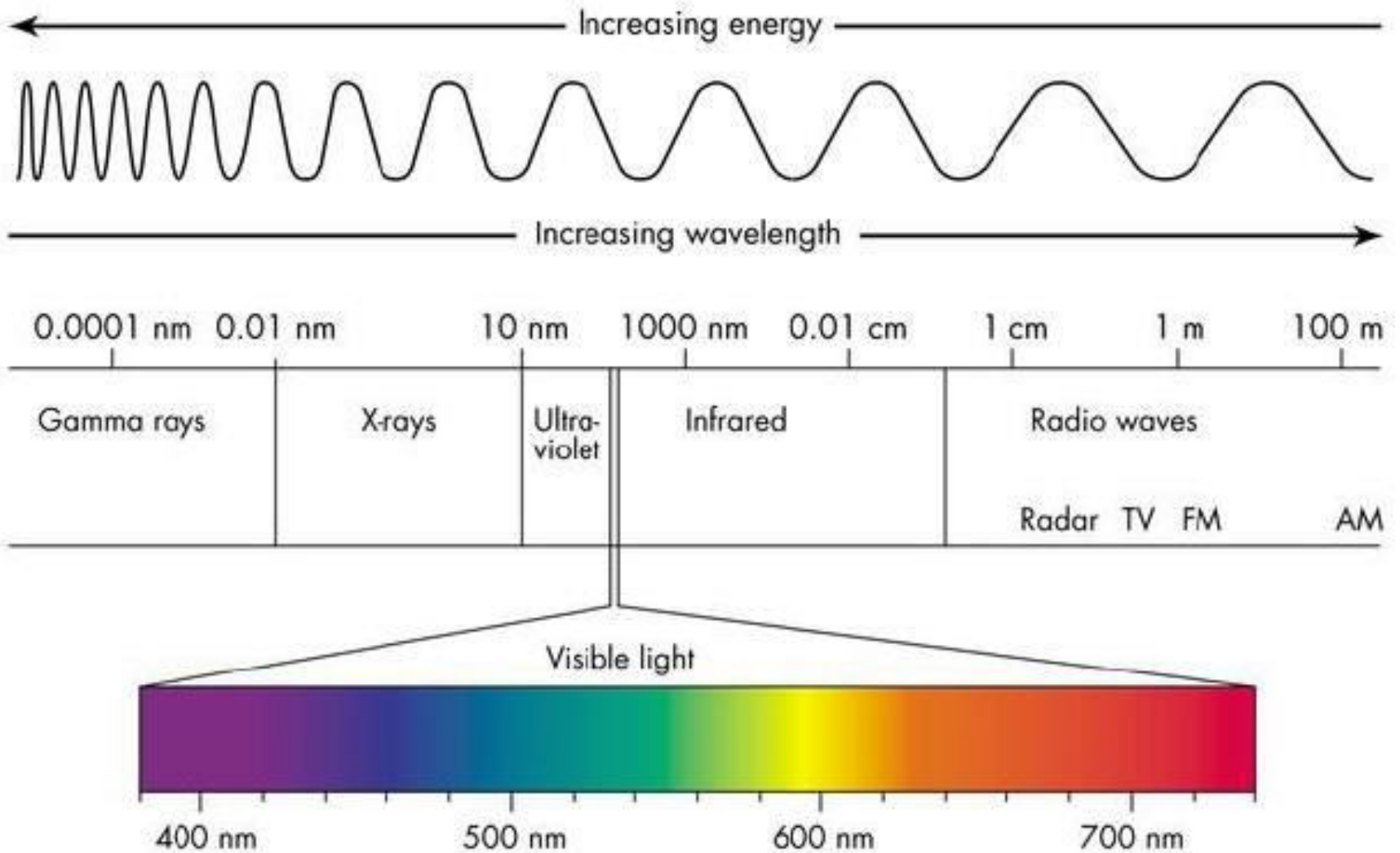




Radial velocity (km s<sup>-1</sup>)



# Elektromanyetik tayf



Name	Wavelength	Frequency (Hz)	Photon Energy (eV)
Gamma ray	Less than 0.01 nm	more than 10 EHz	100 kev - 300+ GeV
X - ray	0.01 - 10 nm	30 EHz - 30 PHz	120 eV - 120 keV
Ultraviolet	10 nm - 400 nm	30 PHz - 790 THz	3 eV - 124 eV
Visible	390 nm - 750 nm	790 THz - 405 THz	1.7 eV - 3.3 eV
Infrared	750 nm - 1 mm	405 THz - 300 GHz	1.24 meV - 1.7 eV
Microwave	1 mm - 1 meter	300 GHz - 300 MHz	1.24 $\mu$ eV - 1.24 meV
Radio	1 mm - km	300 GHz - 3 Hz	12.4 feV - 1.24 meV

### How to calculate energy for electromagnetic waves

This energy is carried in small packs called photons. The energy per photon of an electromagnetic wave can be calculated from the Planck–Einstein equation:

$$E = hf$$

where  $E$  is the energy,  $h$  is Planck's constant, and  $f$  is frequency

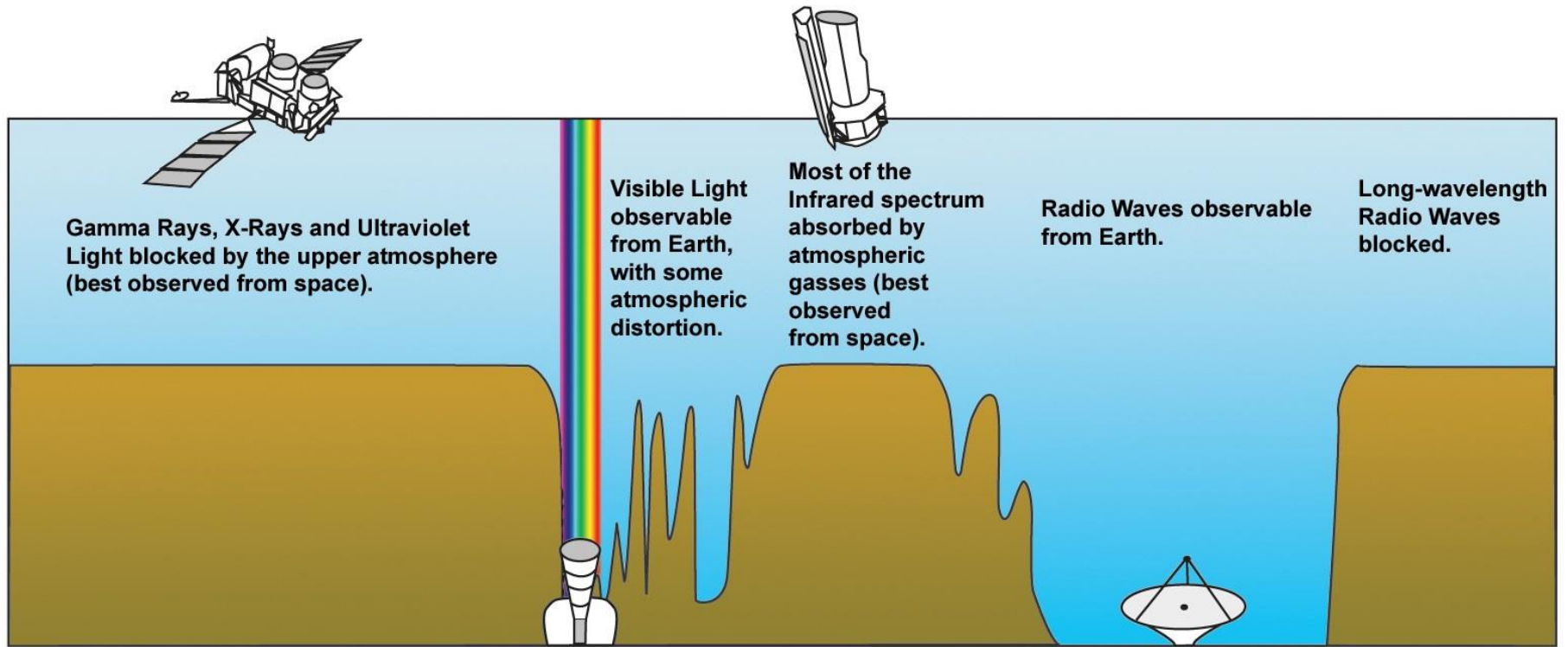
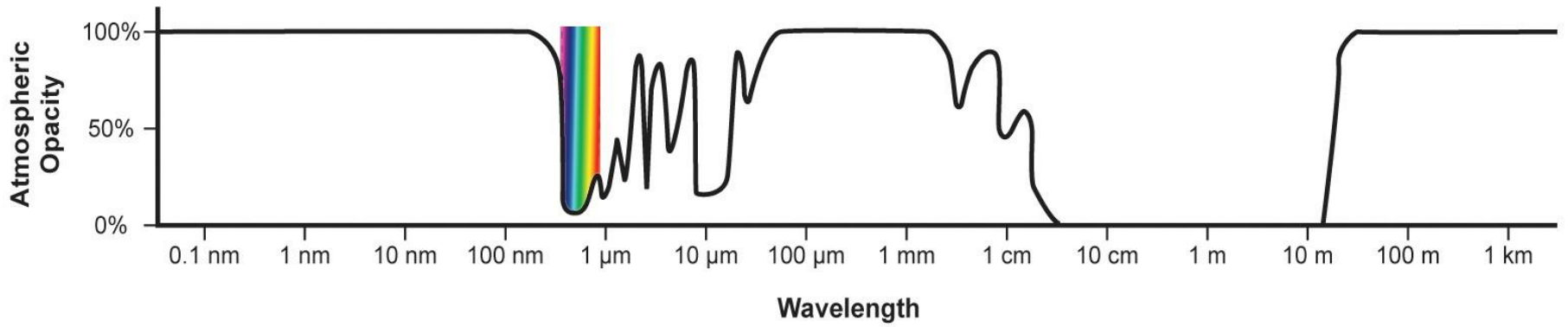
$$h = 6.626 \times 10^{-34} \text{ joule-second}$$

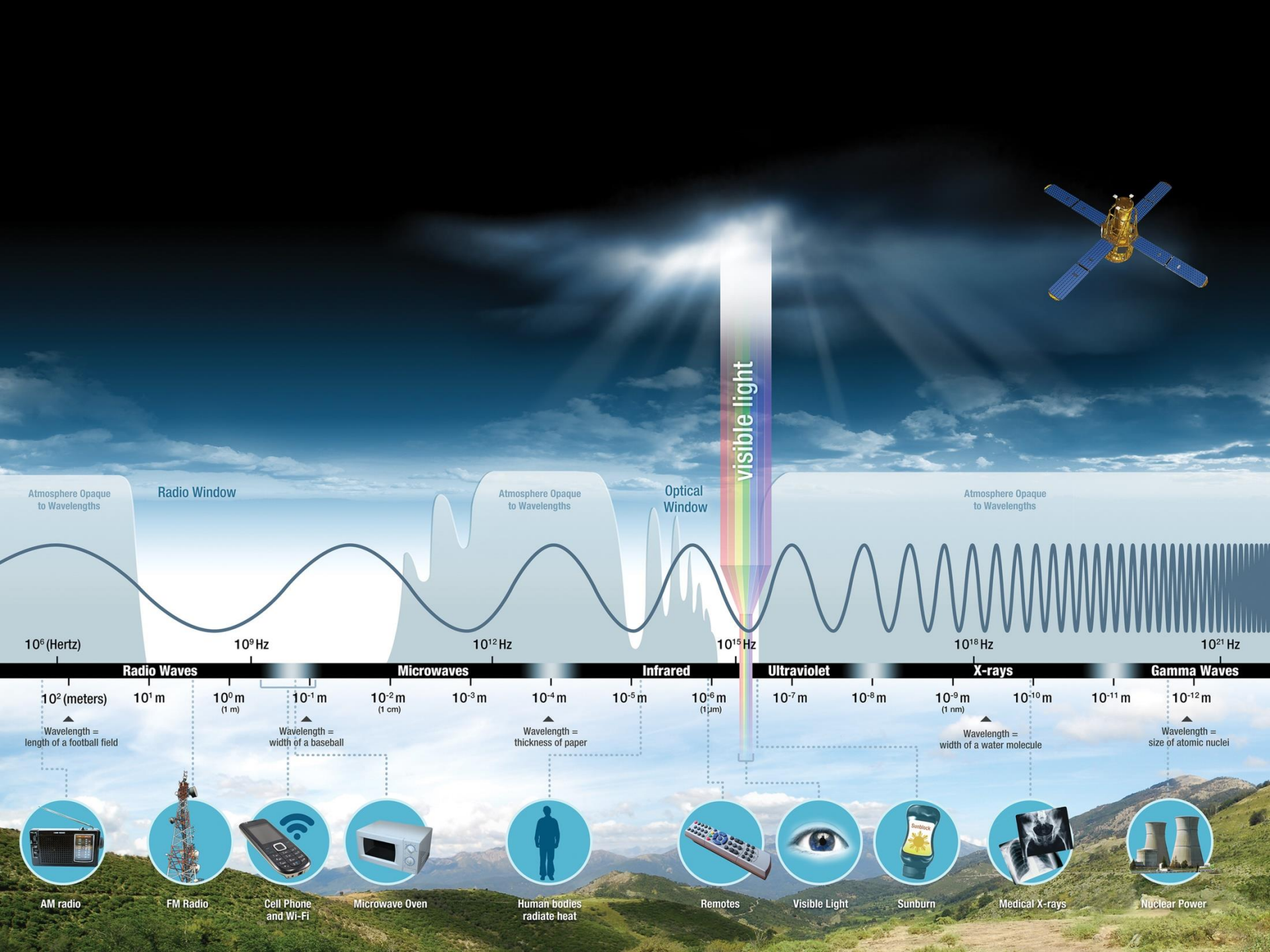
$\lambda \nu = C$  where:  $\lambda$  is wavelength  
 $\nu$  is frequency  
 $C$  is the speed of light

$$h = 6.6 \times 10^{-27} \text{ erg.s}$$

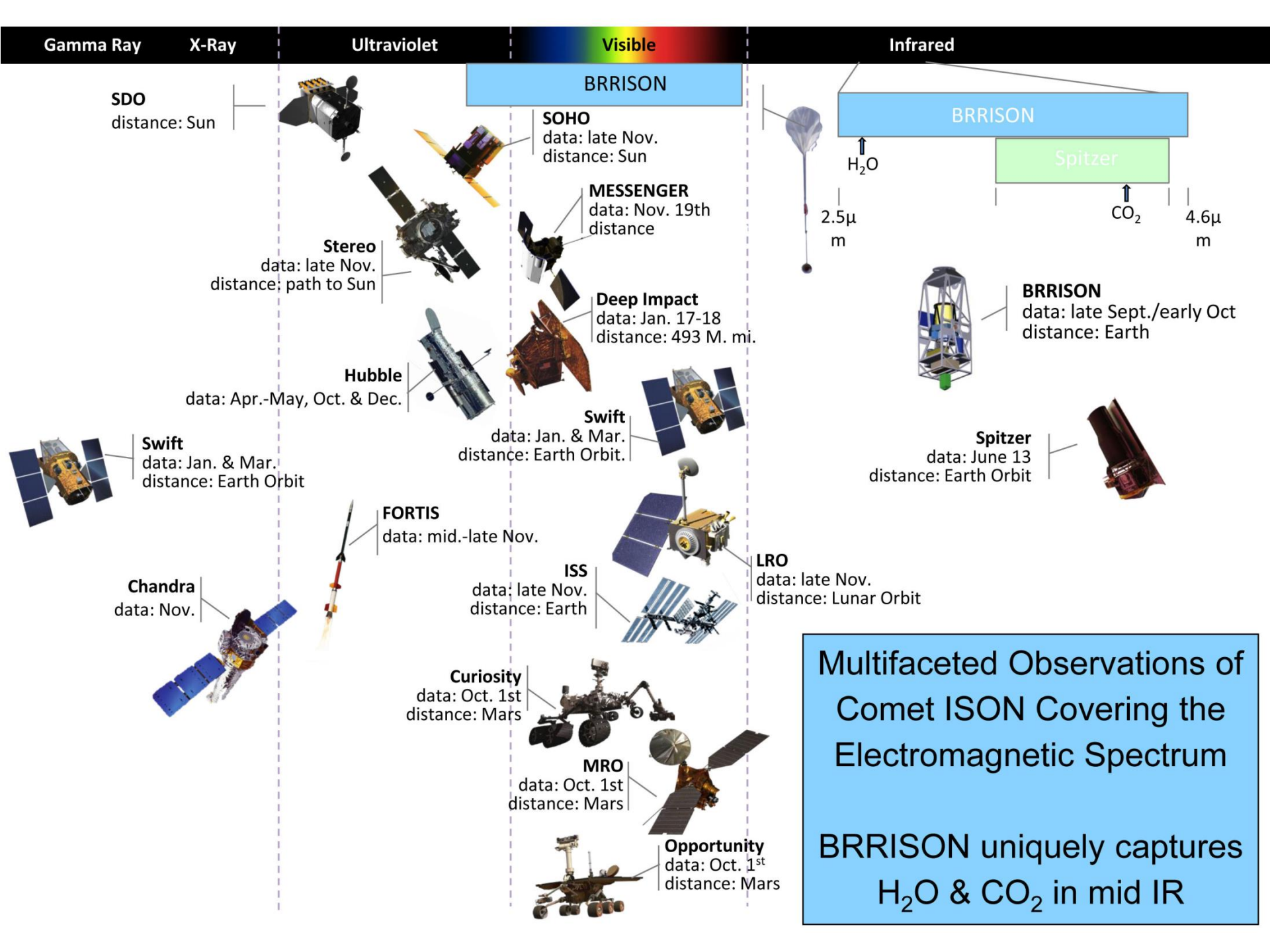
$$1 \text{ erg} = 624150964712.04 \text{ eV}$$

$$1 \text{ eV} = 1.602176487 \times 10^{-12} \text{ erg}$$







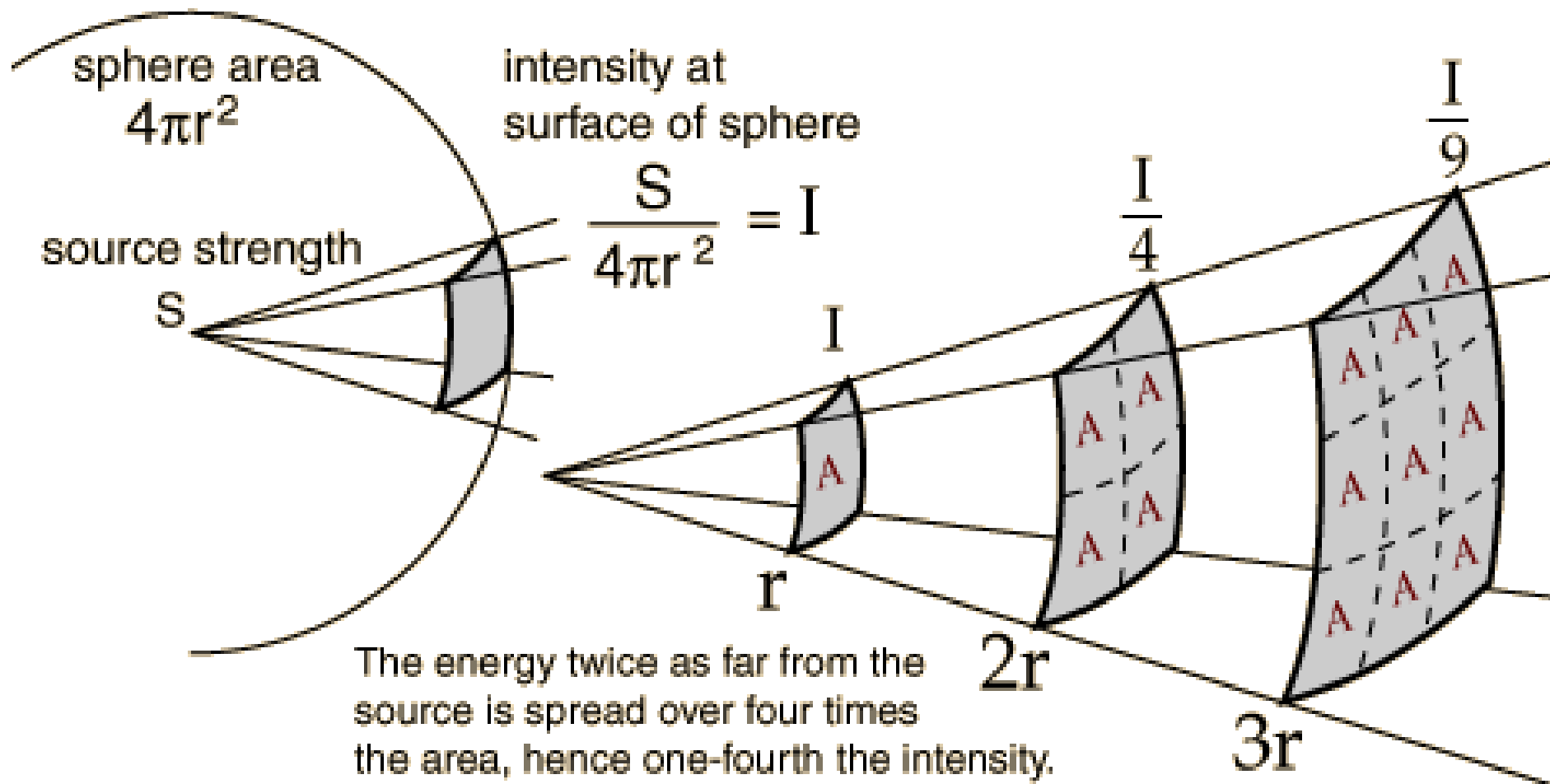


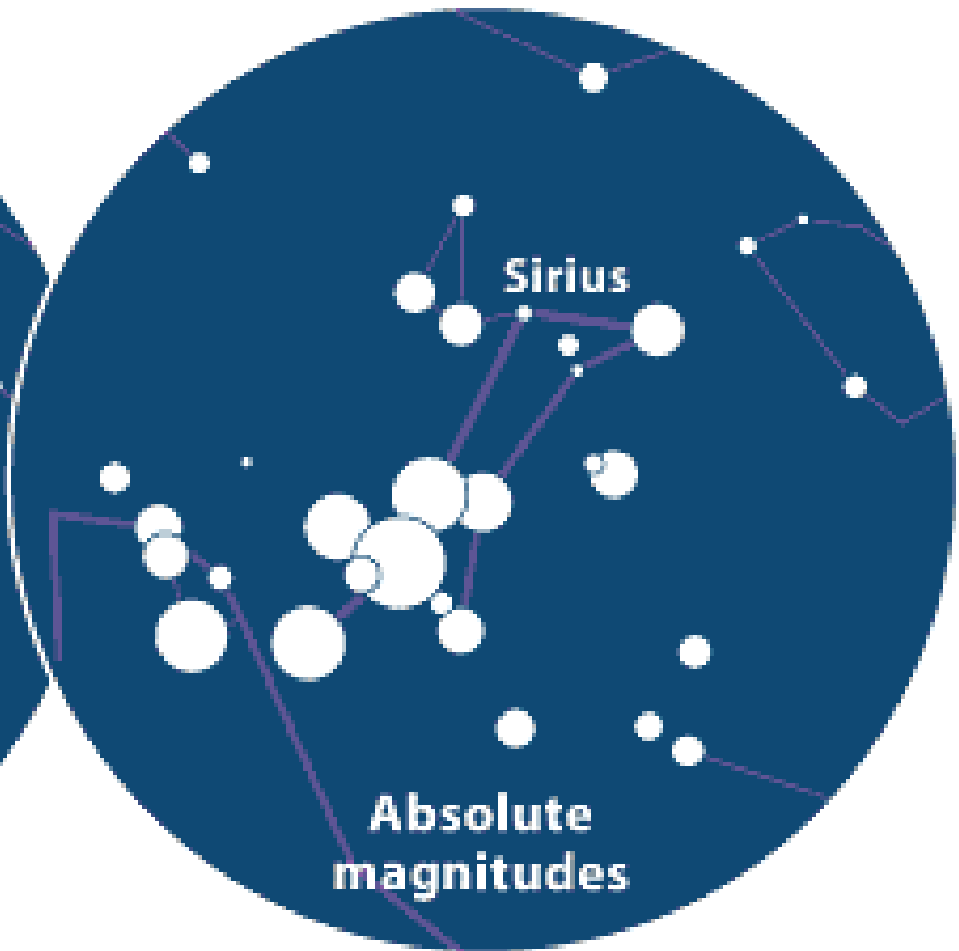
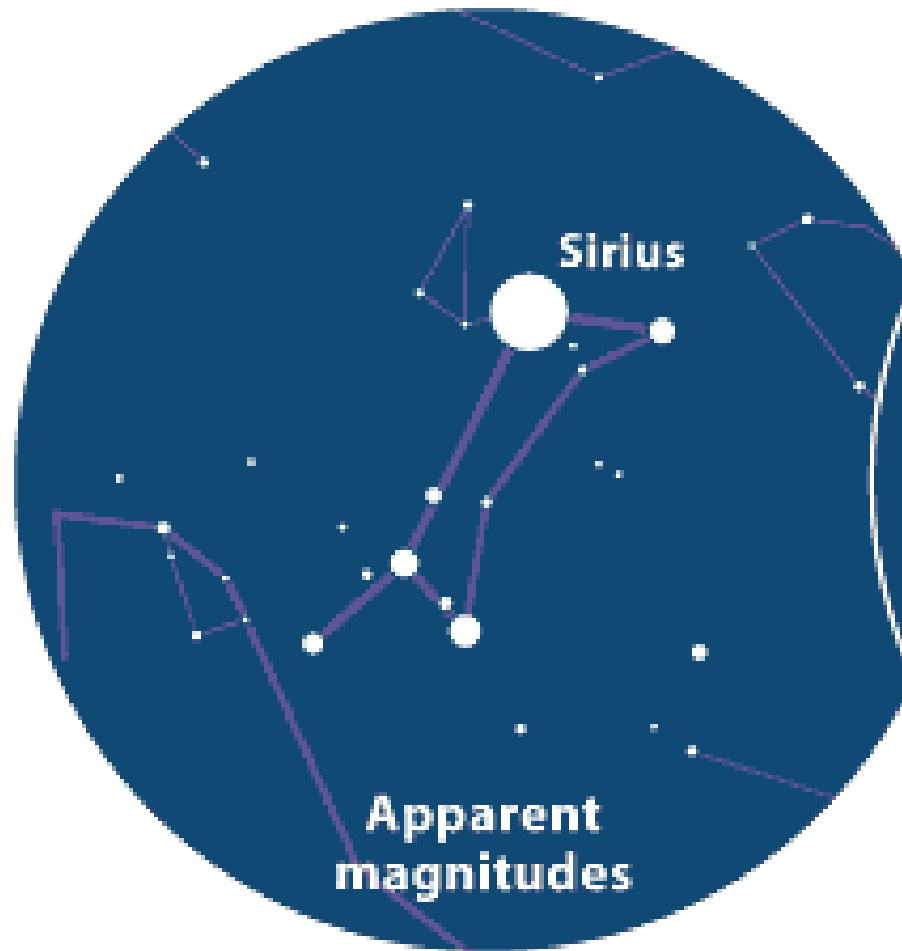
Multifaceted Observations of Comet ISON Covering the Electromagnetic Spectrum

BRRISON uniquely captures H<sub>2</sub>O & CO<sub>2</sub> in mid IR

# Görünür parlaklık







Apparent Magnitude	Celestial Object
-26.7	Sun
-12.6	Full Moon
-4.4	Venus (at brightest)
-3.0	Mars (at brightest)
-1.6	Sirius (brightest star)
+3.0	Naked eye limit in an urban neighborhood
+5.5	Uranus (at brightest)
+6.0	Naked eye limit
+9.5	Faintest objects visible with binoculars
+13.7	Pluto (at brightest)
30	Faintest objects observable by the Hubble Space Telescope

# Magnitudes: Definition

- Magnitude system uses apparent brightness in a *logarithmic* way.  
*Apparent magnitude, m*, defined:

$$\begin{aligned} m &= -2.5\log(F) + \text{constant} && \text{(note the “-” sign to account for} \\ &= -2.5\log(L/4\pi R^2) + \text{constant} && \text{magnitude system)} \end{aligned}$$

- **so:** change of 1 mag = factor of 2.51 in apparent brightness  
change of 5 mags is a factor of 100 in apparent brightness  
fainter objects have **larger** magnitudes! (what we want)
- *Absolute Magnitude (M)* is defined as **Apparent Magnitude (m)** at  $D = 10$  pc. Can show that *distance modulus (m-M)* is:

$$(m - M) = 5\log(D) - 5 \quad \text{where } D \text{ is in pc}$$

# Apparent Magnitude

Consider two stars, 1 and 2, with apparent magnitudes  $m_1$  and  $m_2$  and fluxes  $F_1$  and  $F_2$ . The relation between apparent magnitude and flux is:

$$m_1 - m_2 = -2.5 \log_{10} \left( \frac{F_1}{F_2} \right)$$

$$\frac{F_1}{F_2} = 10^{(m_2 - m_1)/2.5}$$

For  $m_2 - m_1 = 5$ ,  $F_1/F_2 = 100$ .

# The Definition of Magnitudes

Pogson's Ratio

- A difference of five (5) magnitudes is defined as an energy ratio of 100.
- Therefore: 1 magnitude =  $100^{0.2} = 2.512$  difference in energy.
  - $2.512^5 = 100$
- If star 1 is 1 magnitude brighter than star 2 then:

$$I_1 / I_2 = 2.512$$

where  $I$  is the received energy (ergs, photons).



$$m_2 - m_1 = -2.512 \log\left(\frac{B_2}{B_1}\right)$$

$m_1$  = apparent magnitude of object 1

$m_2$  = apparent magnitude of object 2

$B_1$  = brightness of object 1

$B_2$  = brightness of object 2

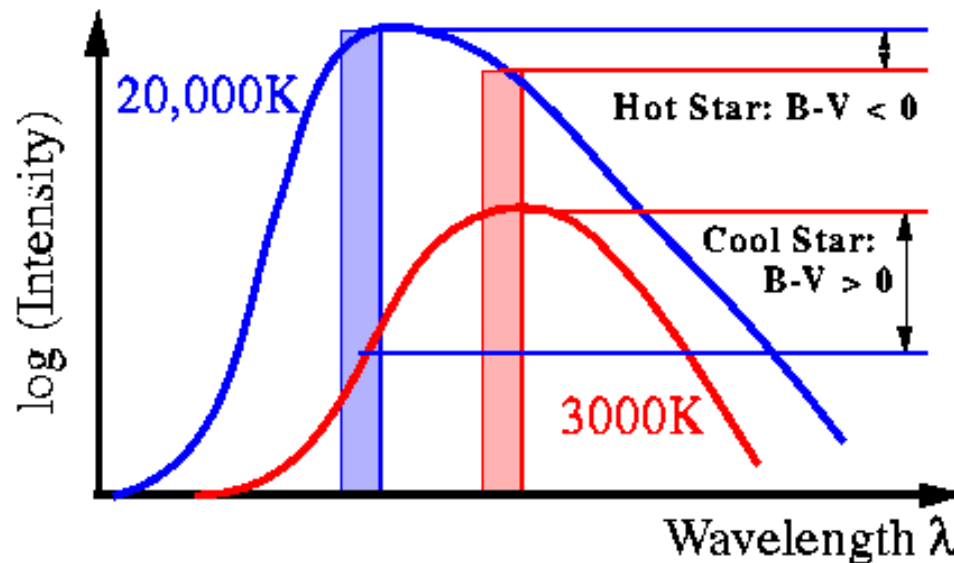
# Renk Ölçeği (CI) ve Sıcaklık

## Color Index

Measure “magnitude” with different filters

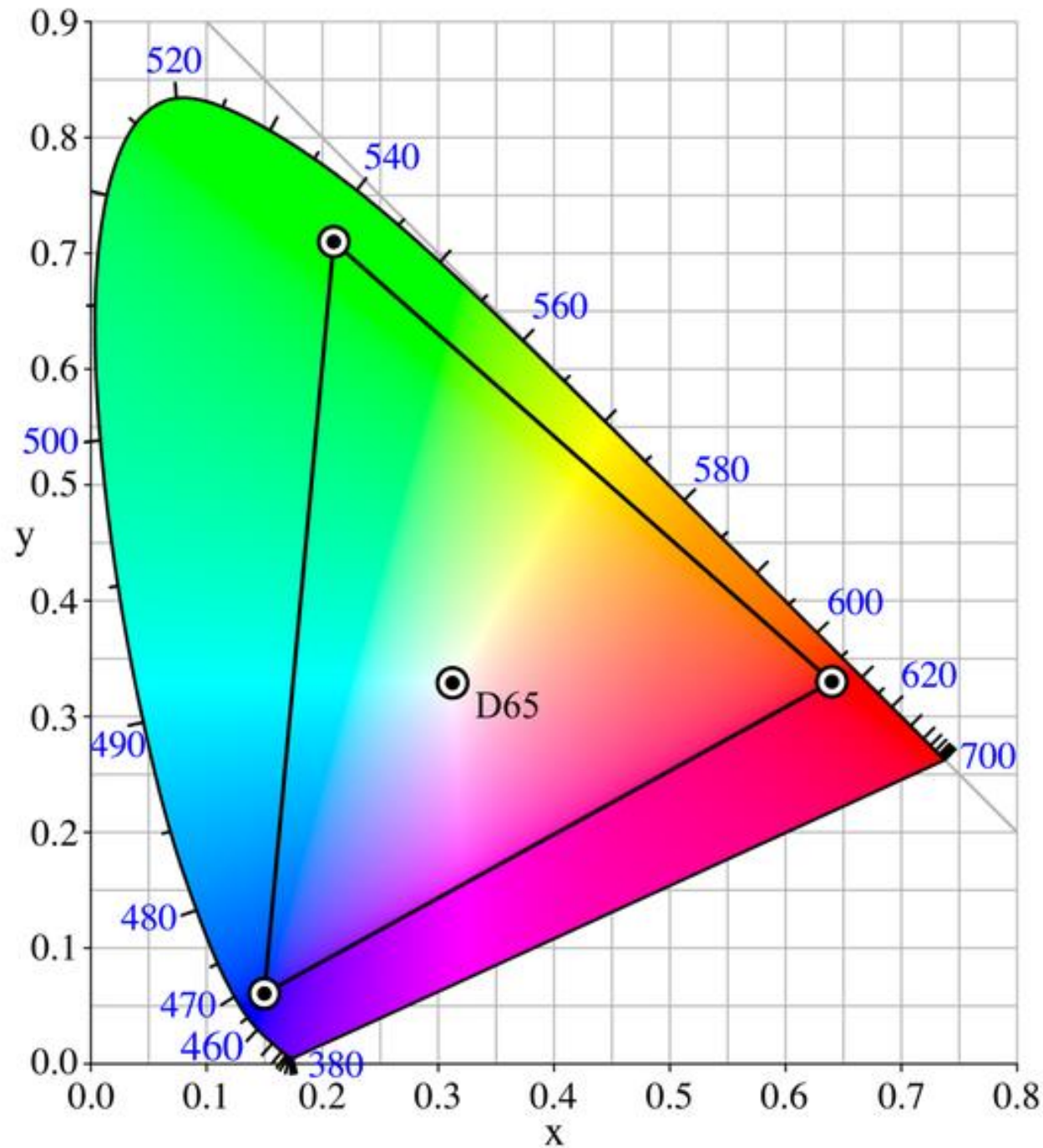
⇒ Examples are U (“ultraviolet”), B (“blue”) and V (“visible”)

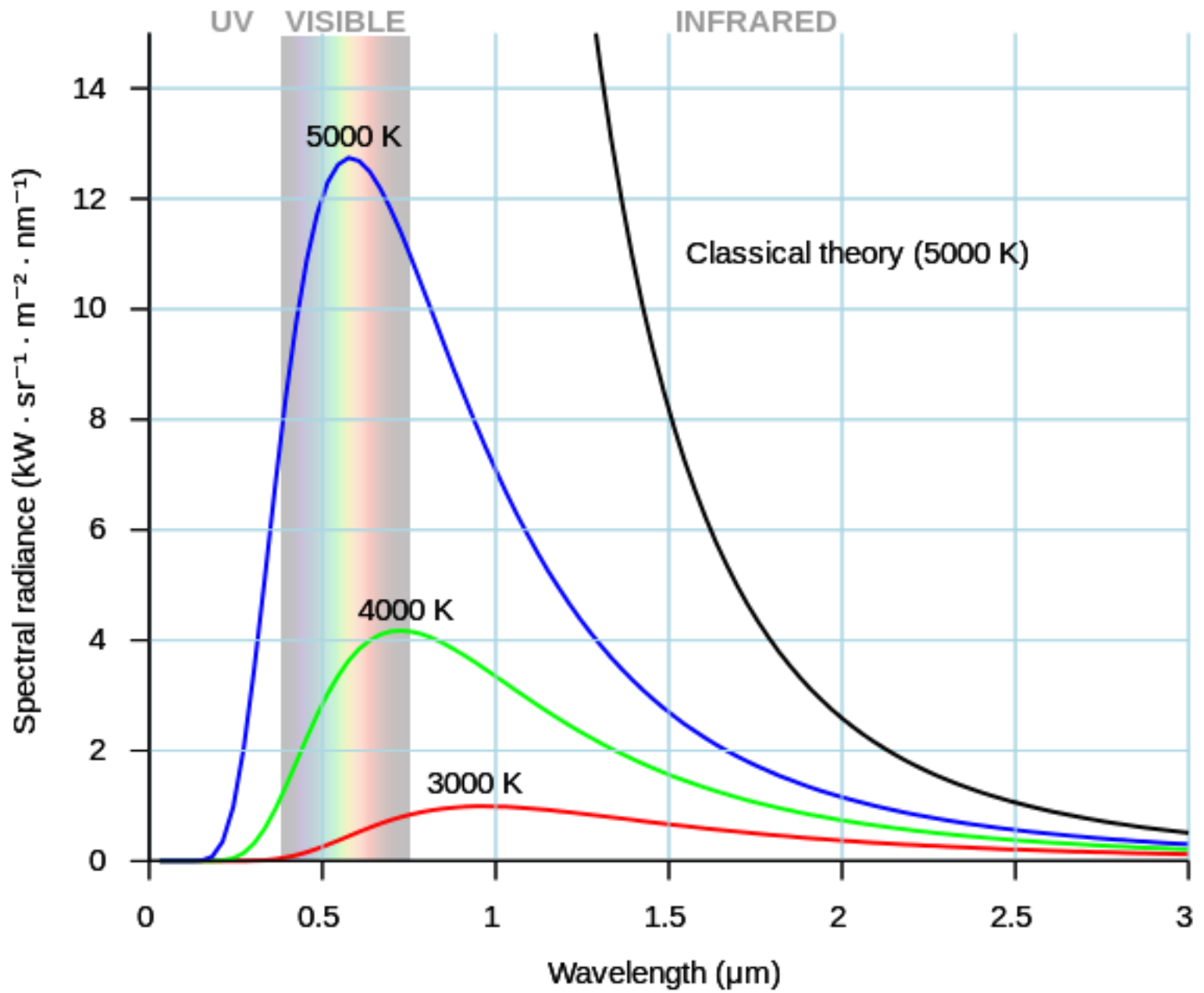
The difference  $B-V$  is the “color index” (*recall Blackbody lab*).

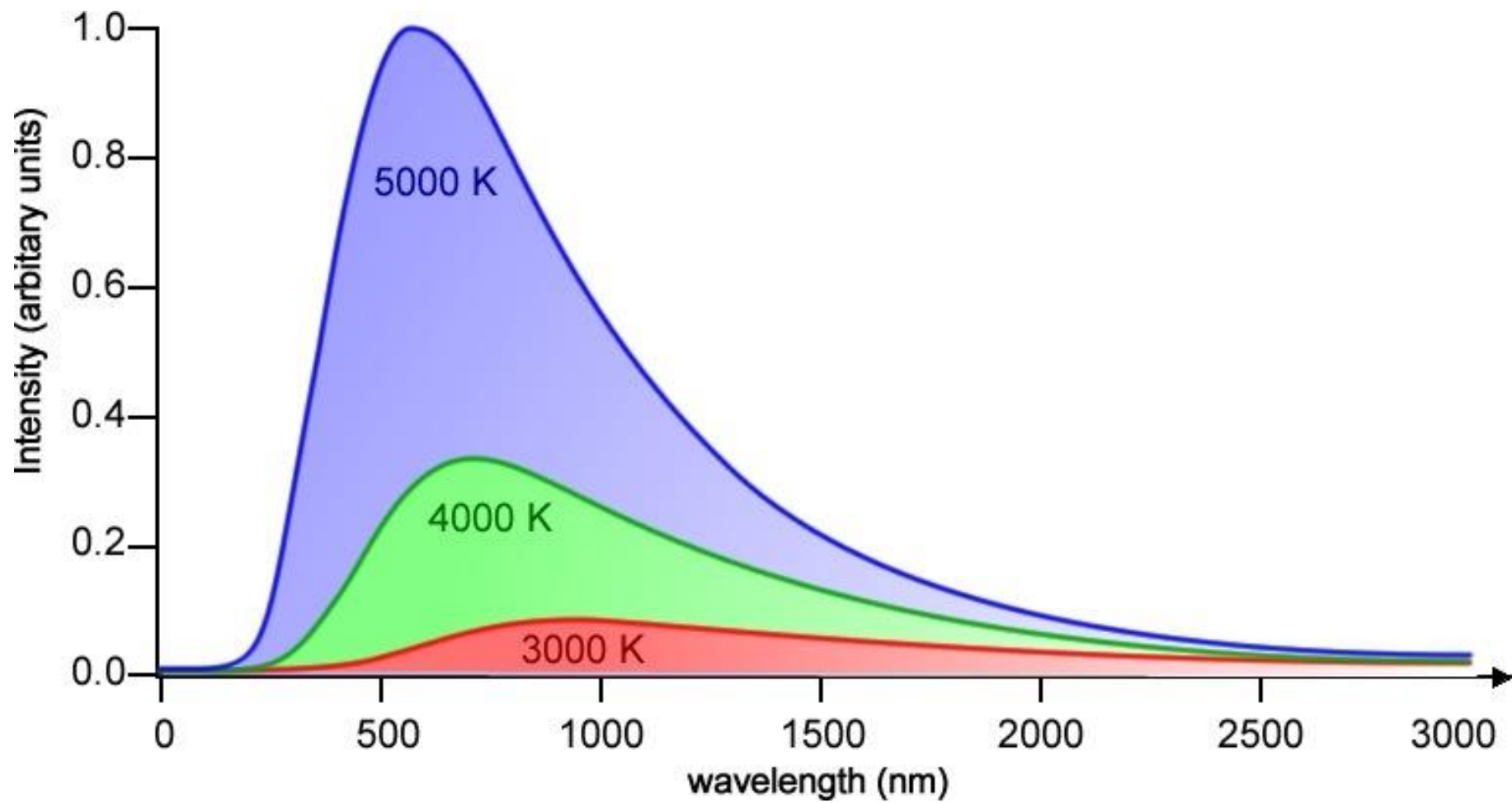


⇒ Find  $T = 8540 / [(B-V) + 0.865]$  for a “Realistic star”

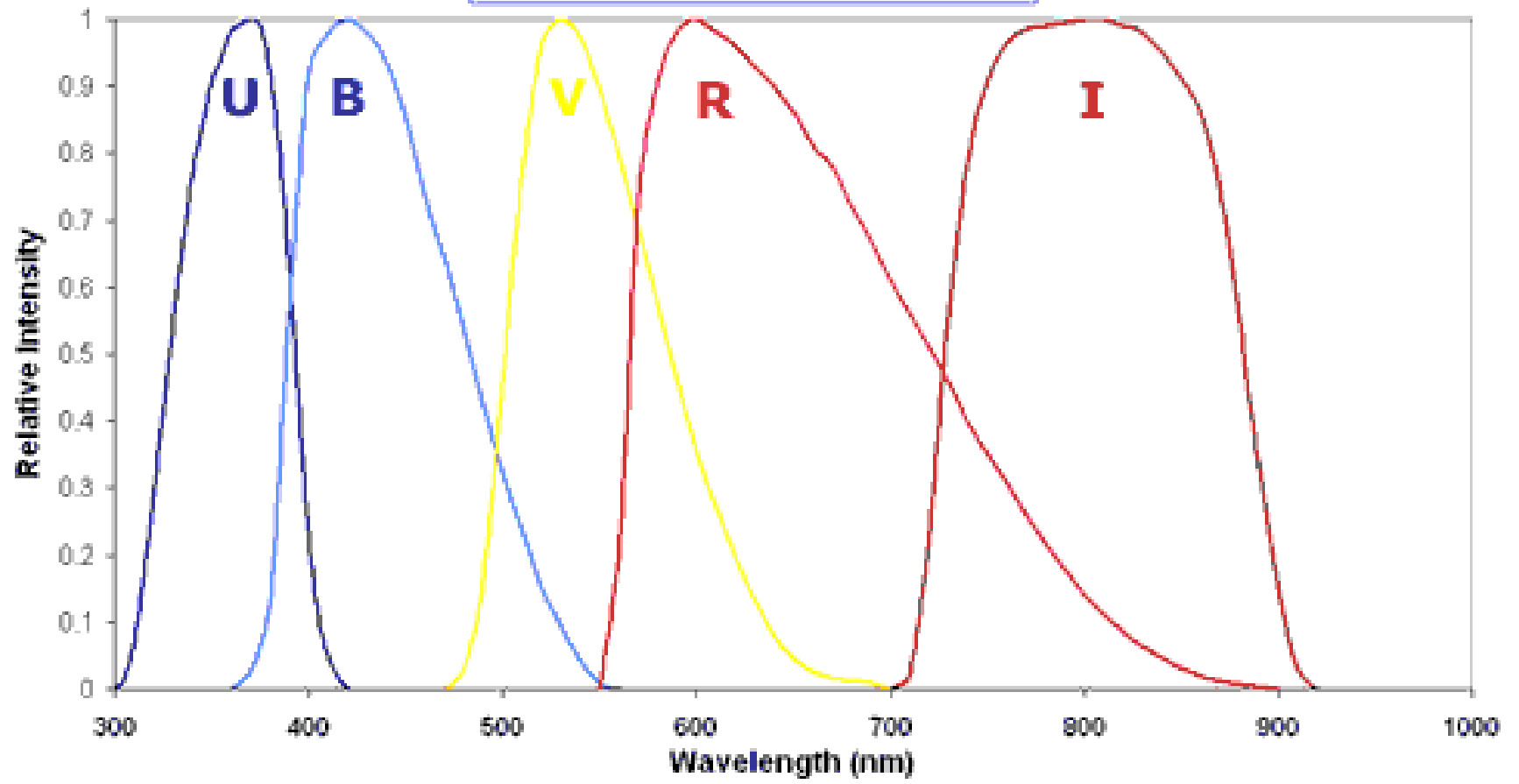
# RENK UZAYI



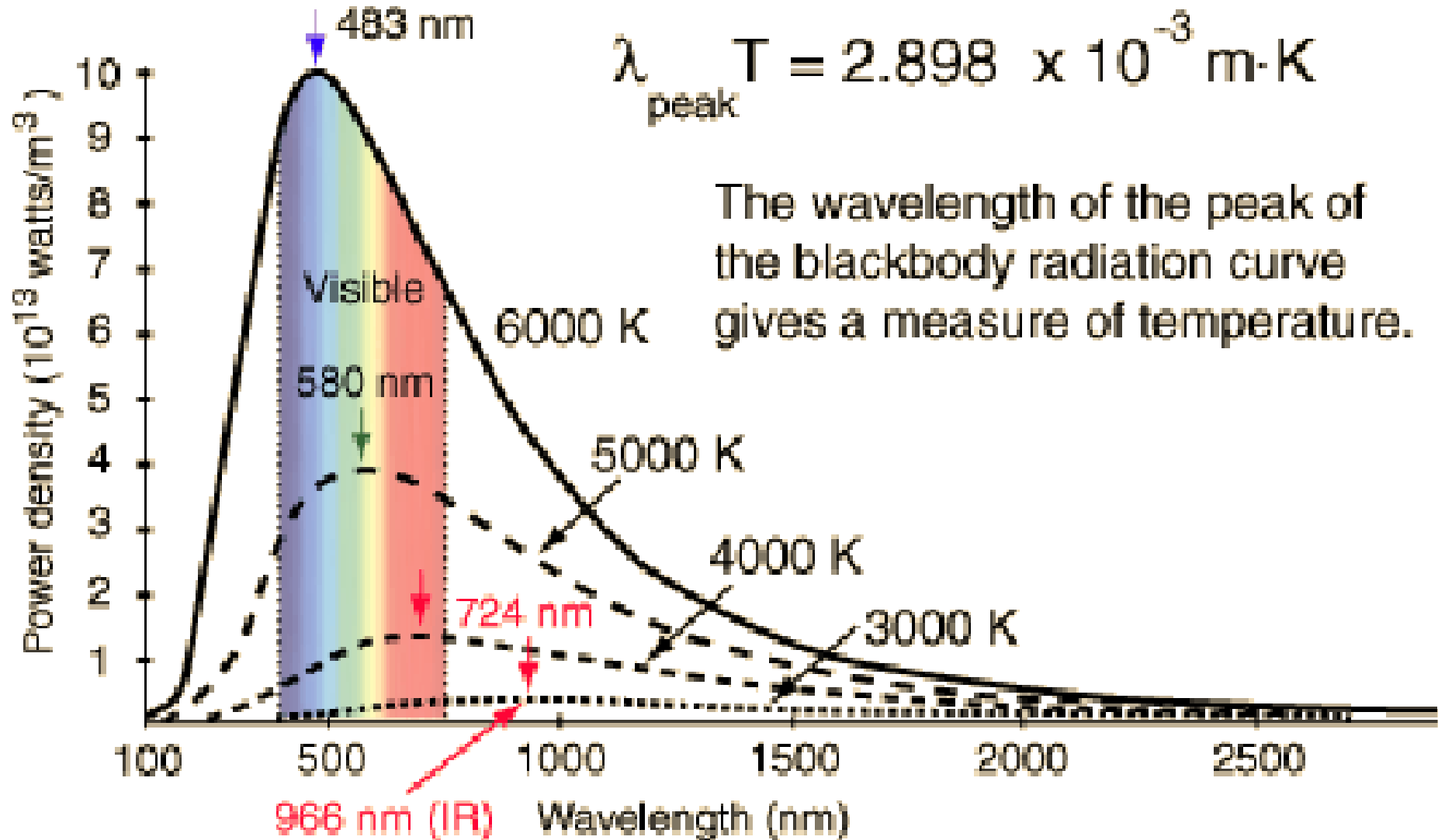




### UBVRI Photometry Passbands

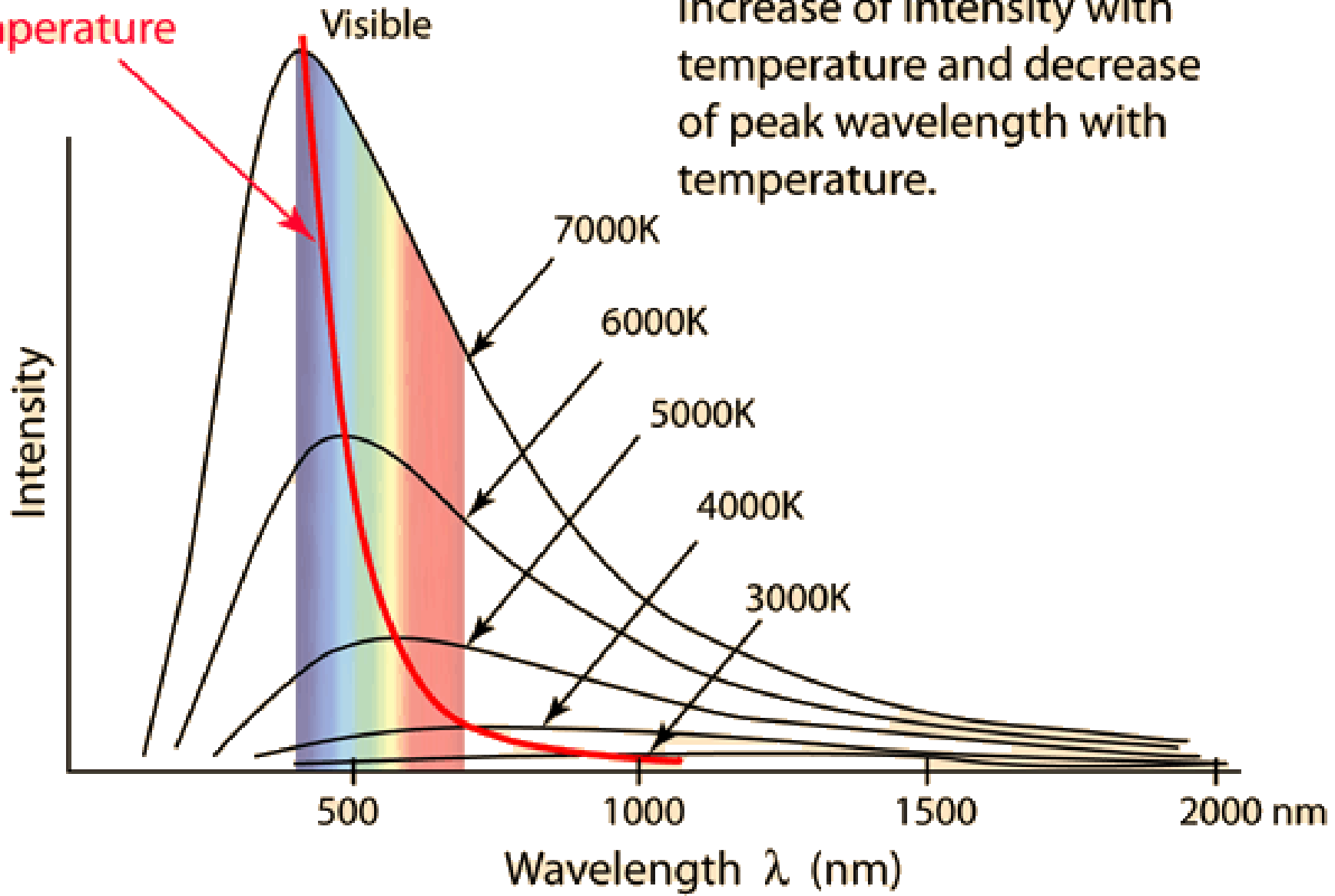


— U - passband — B - passband — V - passband — R - passband — I - passband



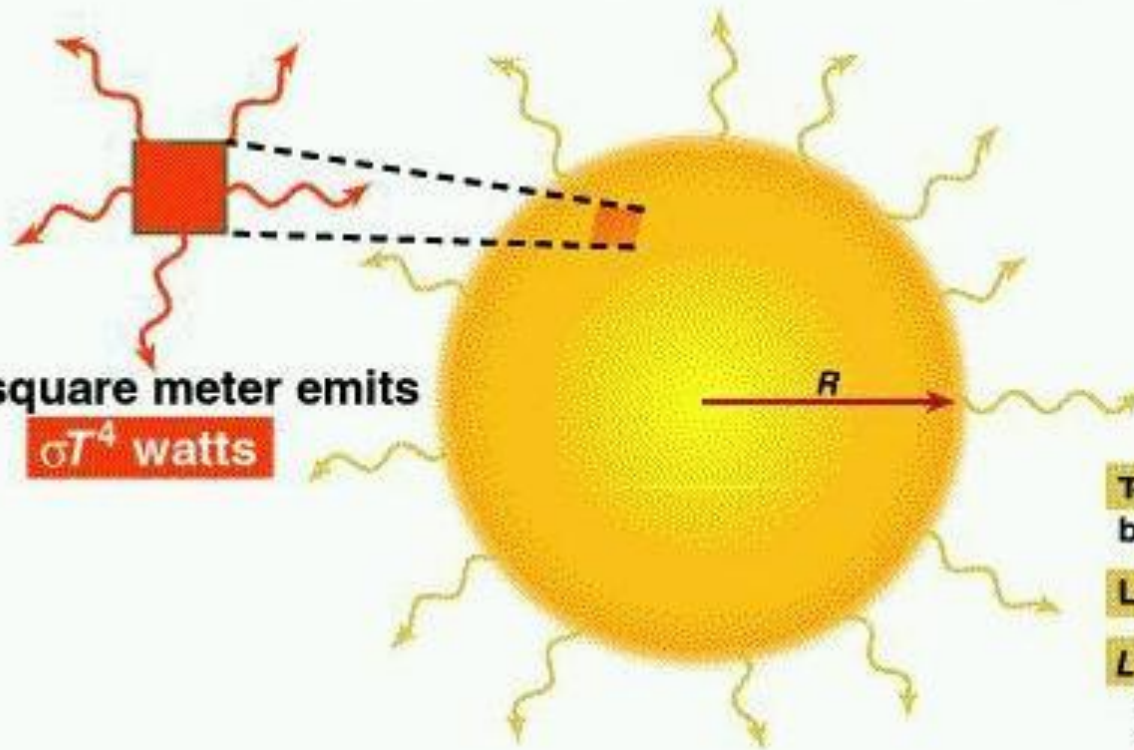
Decrease of  $\lambda_{\text{peak}}$  with increase in temperature

Increase of intensity with temperature and decrease of peak wavelength with temperature.





# Stefan-Boltzmann Yasası ve Işıtma (Işınım Gücü)



1 square meter emits  
 $\sigma T^4$  watts

## Stefan-Boltzmann Law

$$E = \sigma T^4$$
$$\sigma = 5.67 \times 10^{-5} \text{ erg cm}^{-2} \text{ s}^{-1} \text{ K}^{-4}$$

A

Total energy radiated per second by the star is its

Luminosity =  $L$

$$L = \text{Energy emitted by one square meter} \times \text{Number of square meters of its surface}$$
$$= \sigma T^4 \times \text{Star's surface area}$$

For a spherical star of radius  $R$ , the surface area is  $4\pi R^2$

Thus,  $L = \sigma T^4 \times 4\pi R^2$

or

$$L = 4\pi R^2 \sigma T^4$$

B

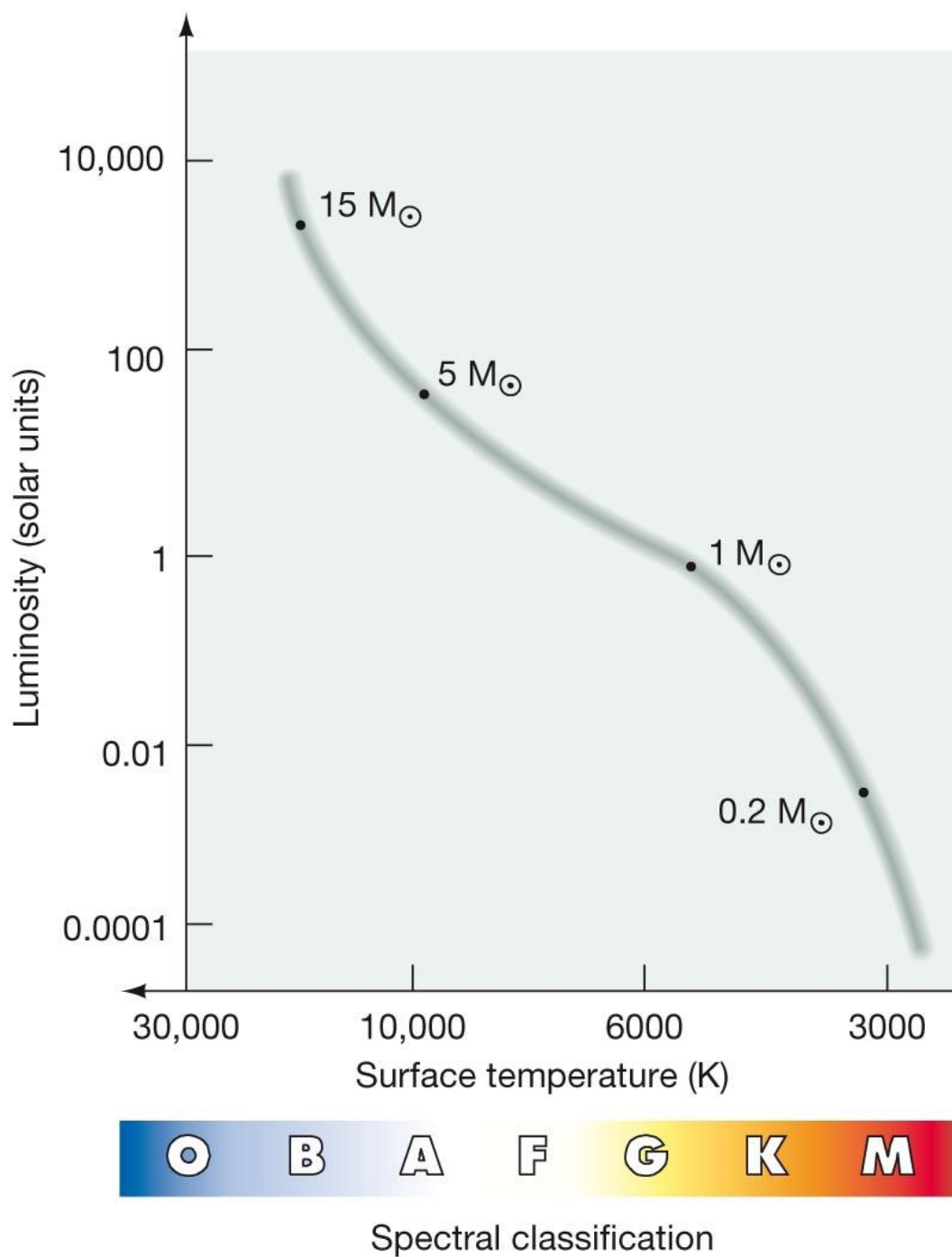
## Wien's law

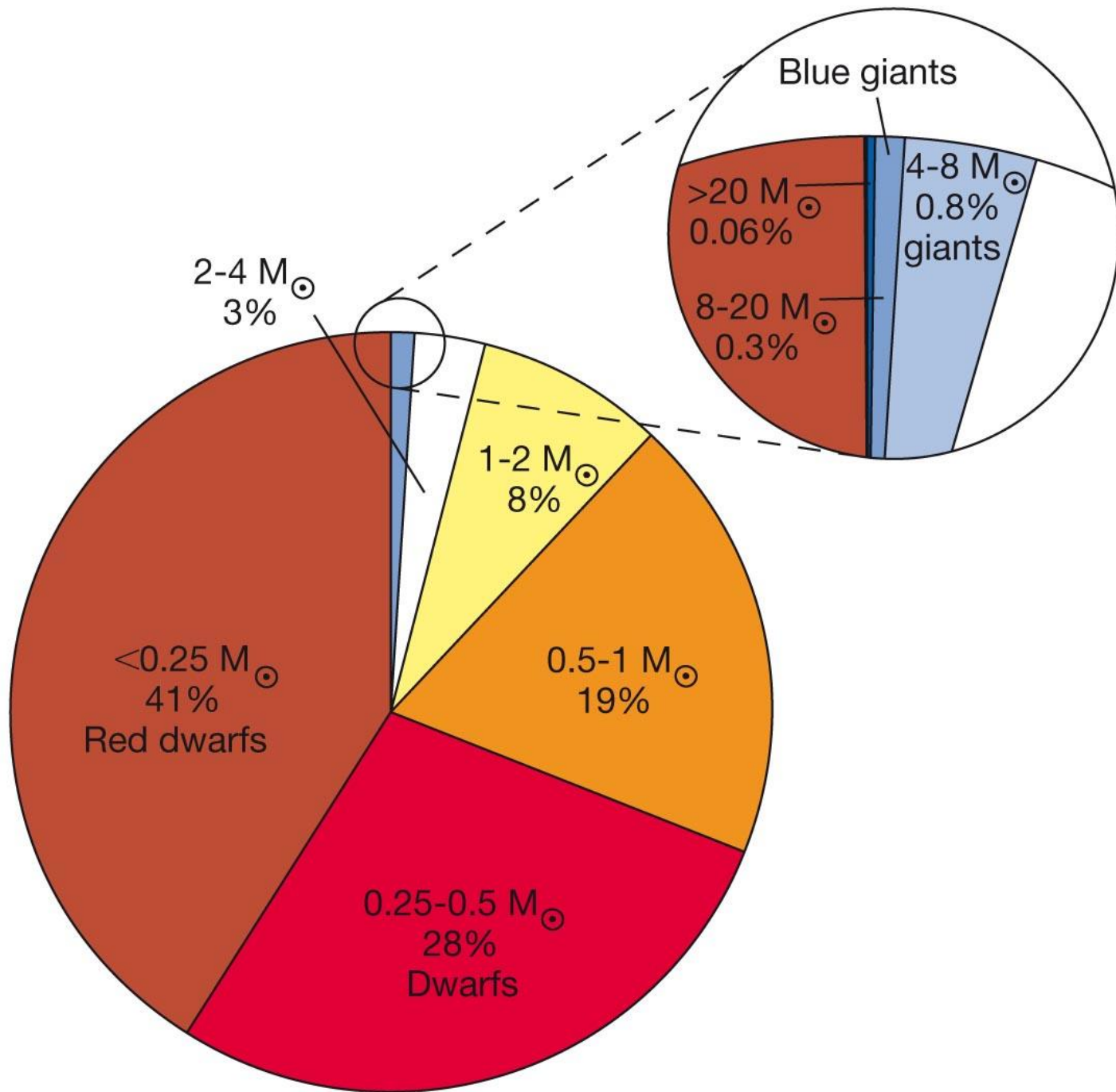
Color  $\leftrightarrow$  Temp.

## Stefan-Boltzmann law

Lum. = Size  $\times$  Temp.<sup>4</sup>

# Anakol üzerinde kütle dağılımı





Yıldızların Ölçümü üzerine yararlı bir sayfa

<http://pages.uoregon.edu/jimbrau/astr122/Notes/Chapter17.html#mass>